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2019 R3

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# Material Designer Nonlinear Materials (Beta)



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# Chapter 1: Using Nonlinear Material Properties in Material Designer

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You can compute stress-strain curves for RVEs with nonlinear constituent materials, simulating uniaxial tension, uniaxial compression, and shear test cases. Both hyperelastic and elasto-plastic material models are supported for the constituents. This document explains how to use the nonlinear material properties, which are provided in the 2019 R3 release as a Beta feature. See [this section](#) for information about how to activate Material Designer Beta features.

## 1.1. Nonlinear Material Analysis Settings

---

There are new [Analysis Settings](#) related to the stress/strain curves:

Options - Settings

Material Properties

Type of Anisotropy: Orthotropic ▾

Compute Linear Elasticity

Compute Coefficients of Thermal Expansion

Compute Thermal Conductivity

Compute Stress-Strain Curves (Beta)

Compute Strain Limits (Beta)

Stress-Strain Curves (Beta)

Uniaxial Tension

Strain X 0 - 0.02 : 30 ...

Uniaxial Compression

Strain X 0 - -0.05 : 30 ...

Simple Shear

Strain XY 0 - 0.02 : 30 ...

General

Large Deformations (Beta)

Use Periodic Boundary Conditions

Use Material Symmetry in XY

Use Material Symmetry in XZ

Use Material Symmetry in YZ

Temperature: 22 P

Reference Temperature: 22 P

- **Compute Stress-Strain Curves:** Compute stress-strain curves based on one or more numerical tests.
- **Stress-Strain:** Define which tests are carried out. You can activate uniaxial tension, uniaxial compression, and simple shear test cases.

For each test case, you can specify for which values of strain the stresses are evaluated.

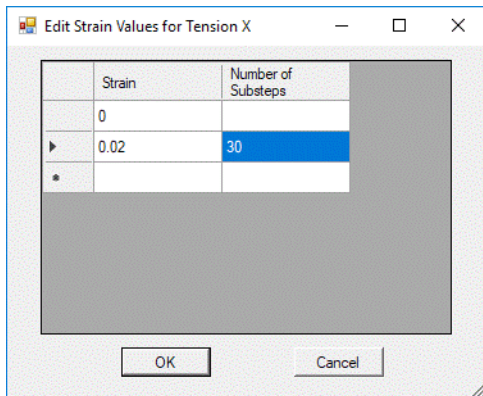
For instance, 0 - 0.02 : 30 means that an analysis with 30 substeps is run, where the strain is increased from 0 to 0.02. You can also use a comma separated list; for instance 0.005, 0.01, 0.0015, 0.02.

---

### Note

- You can also specify a loading and unloading; for instance by stating 0 - 0.02 : 30, 0.02 - 0 : 30. Or you can even have more complicated loading paths (including cyclic loading).
  - If you use a comma as the decimal delimiter (per the number format settings in Windows), you nevertheless need to input the numbers here with a dot as the decimal delimiter.
  - Some of the tests are disabled when material symmetries are activated.
- 

Press the ... button to edit the strain values more easily using a dialog:



- **Large Deformations:** Activate large deformations. Input material properties based on strain-stress curves are interpreted as true strain vs. true stress (see [Large Deformation](#) in the Mechanical APDL Material Reference). You will need to activate large deformations if the RVE contains hyperelastic materials.

## 1.2. Nonlinear Material Results

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**Stress-Strain Curves** is available under the Constant and Raw Variable [Results Table](#). Click the icon to see the data of the corresponding stress-strain curve:



Stress-Strain: Tension X

Engineering Strain Engineering Stress

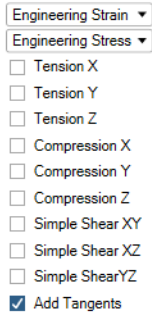
	Strain X	Stress X in Pa	Strain Y	Strain Z
▶	0	0	0	0
	0.00066667	8.9881E+06	-9.5016E-05	-5.3935E-05
	0.00133333	1.7976E+07	-0.00019003	-0.00010787
	0.002	2.6928E+07	-0.00028503	-0.00016137
	0.0026667	3.2345E+07	-0.0003436	-0.00019437
	0.00333333	3.2495E+07	-0.00034469	-0.00019496
	0.004	3.2628E+07	-0.00034612	-0.00019582
	0.0046667	3.2758E+07	-0.0003475	-0.0001966
	0.00533333	3.2888E+07	-0.0003491	-0.00019744
	0.006	3.3018E+07	-0.00035068	-0.00019833
	0.0066667	3.3146E+07	-0.00035233	-0.00019925
	0.00733333	3.3272E+07	-0.000354	-0.00020022
	0.008	3.3398E+07	-0.00035574	-0.00020122
	0.0086667	3.3523E+07	-0.00035757	-0.00020227
	0.00933333	3.3647E+07	-0.00035943	-0.00020333
	0.01	3.377E+07	-0.00036132	-0.00020442
	0.010667	3.3893E+07	-0.00036324	-0.00020554
	0.0113333	3.4015E+07	-0.0003652	-0.00020666
	0.012	3.4136E+07	-0.0003672	-0.0002078
	0.012667	3.4258E+07	-0.00036922	-0.00020893
	0.0133333	3.4379E+07	-0.00037125	-0.00021008
	0.014	3.4499E+07	-0.00037331	-0.00021123
	0.014667	3.462E+07	-0.00037538	-0.00021239
	0.0153333	3.474E+07	-0.00037747	-0.00021357
	0.016	3.486E+07	-0.00037957	-0.00021475
	0.016667	3.4979E+07	-0.00038168	-0.00021594
	0.0173333	3.5099E+07	-0.00038382	-0.00021713
	0.018	3.5218E+07	-0.00038598	-0.00021834
	0.018667	3.5337E+07	-0.00038814	-0.00021955
	0.0193333	3.5455E+07	-0.00039031	-0.00022078
	0.02	3.5574E+07	-0.00039249	-0.000222

You can switch between Engineering Strain/Stress and True Strain/Stress.

## 1.3. Stress-Strain Charts

You can generate stress-strain charts for Constant or Variable material evaluations. To do so, right-click Constant Material Evaluation or Variable Material Evaluation in the outline window and select Add Stress-Strain Chart.

This adds a node in the outline and shows the following options:



Engineering Strain ▾  
Engineering Stress ▾  
 Tension X  
 Tension Y  
 Tension Z  
 Compression X  
 Compression Y  
 Compression Z  
 Simple Shear XY  
 Simple Shear XZ  
 Simple Shear YZ  
 Add Tangents

**Strain:** Choose whether to plot the Engineering Strain or the True Strain.

**Stress:** Choose whether to plot the Engineering Stress or the True Stress.

**Load Cases:** Choose for which load cases the stress-strain curves are shown.

**Add Tangents** (only available for constant material): Choose to add tangents that would correspond to a linear elastic material behavior (based on the computed engineering constants); see the dotted lines in [Figure 1.1: Example of Stress-Strain Curves \(p. 5\)](#).

This allows you to verify that the computed material properties are consistent with the computed stress-strain curves and allows you to see deviation from linear elastic material behavior more easily.

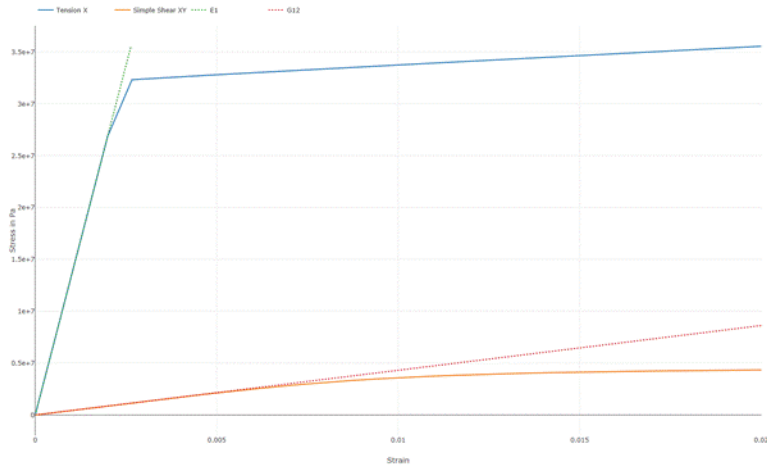
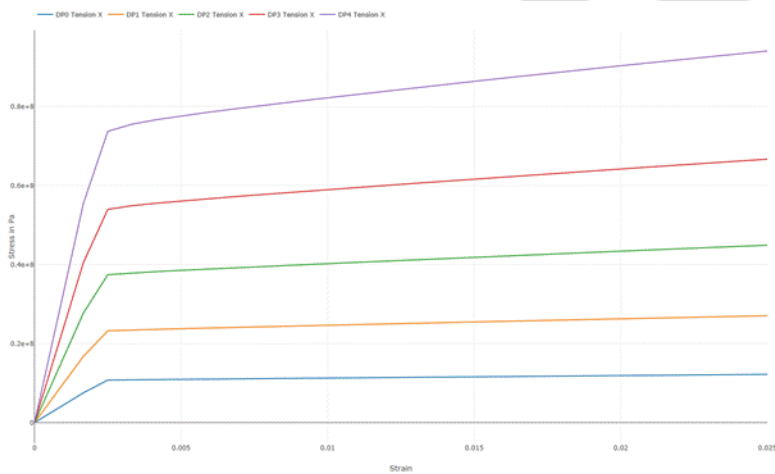
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### Note

For large strain the tangents do not necessarily represent the linear elastic material behavior. If large deformations are active, then the tangents in the true strain-true stress diagram correspond to the linear material behavior. Similarly, if large deformations are off, then the tangents in the engineering strain-engineering stress diagram correspond to the linear material behavior.

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Click Complete to open a new window tab with the chart.

**Figure 1.1: Example of Stress-Strain Curves****Figure 1.2: Example of Stress-Strain Curves (Variable)**

## 1.4. Exporting Stress-Strain Curves

When you [Export](#) stress-strain curves, they are exported as Engineering Stress vs. Engineering Strain.

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## Chapter 2: Nonlinear Material Properties Theory

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In the following, we highlight how computing material properties differs for nonlinear constituent materials and show the theory behind the computation of stress-strain curves.

### 2.1. Orthotropic Linear-Elastic Material Properties

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The computation of orthotropic linear-elastic materials is described in [this section](#) for linear constituent materials. The following considerations apply in addition when using the new beta feature.

#### 2.1.1. Nonlinear Constituent Materials

Note that you can also compute orthotropic linear-elastic material properties if the constituent materials are nonlinear. The computed properties are then valid only in a small strain analysis.

If possible the nonlinear effects are ignored completely, similar to setting nonlinear material effects to Off in Mechanical (see [Nonlinear Material Effects](#)).

In case this is not possible (for instance, for hyperelastic materials) then the nonlinear material is used, which will lead to some errors in computing the linear elastic material behavior as the applied strain is not infinitesimal, but finite. However, the effect will be negligible in most cases.

#### 2.1.2. Large Deformations

Note that if large deformations are active, input material properties based on strain-stress curves are interpreted as true strain vs. true stress, as discussed in [Large Deformation](#) in the Mechanical APDL Material Reference.

The material properties are corrected for the fact that true strain rather than engineering strain is the active strain measure. Similarly, the area changes are taken into account when computing material properties.

However, it is not possible to setup a "clean" shear case if large deformations are active; there are always some other macroscopic strains that are non-zero (see [Polar Decomposition of a Shearing Deformation](#) and the corresponding description). Once again, the effects will be negligible in most cases given that the applied shear is small.

### 2.2. Computing Stress-Strain Curves

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Consider for the moment that we want to compute stress-strain curves for a tension test in X direction for a periodic RVE with a periodic mesh. The basic principle is that we specify several values for the strain in the X direction and measure the force in the X direction. After normalization, this yields the corresponding stress values.

In contrast to the boundary conditions specified [here](#), we allow the RVE to contract macroscopically in Y and Z direction; in other words, we allow a non-zero lateral strain  $\epsilon_y$  and  $\epsilon_z$ . To do so, we introduce 6 degrees of freedom  $u_x^{\text{pivot}}$ ,  $u_y^{\text{pivot}}$ ,  $u_z^{\text{pivot}}$ ,  $\text{rot}_x^{\text{pivot}}$ ,  $\text{rot}_y^{\text{pivot}}$ , and  $\text{rot}_z^{\text{pivot}}$  (via an additional node in the finite element model) and let them correspond to the macroscopic strains.

Assume that the RVE occupies the volume  $[0, L_x] \times [0, L_y] \times [0, L_z]$ . Then we enforce the following boundary conditions:

On the faces normal to the X-axis, enforce

$$\begin{aligned} u_x(L_x, y, z) &= u_x(0, y, z) + u_x^{\text{pivot}} L_x \\ u_y(L_x, y, z) &= u_y(0, y, z) \\ u_z(L_x, y, z) &= u_z(0, y, z) \end{aligned}$$

On faces normal to the Y-axis, enforce

$$\begin{aligned} u_x(x, L_y, z) &= u_x(x, 0, z) \\ u_y(x, L_y, z) &= u_y(x, 0, z) + u_y^{\text{pivot}} L_y \\ u_z(x, L_y, z) &= u_z(x, 0, z) \end{aligned}$$

On faces normal to the Z-axis, enforce

$$\begin{aligned} u_x(x, y, L_z) &= u_x(x, y, 0) \\ u_y(x, y, L_z) &= u_y(x, y, 0) \\ u_z(x, y, L_z) &= u_z(x, y, 0) + u_z^{\text{pivot}} L_z \end{aligned}$$

In addition to these periodicity conditions, rigid body motions must also be prevented. This is done by enforcing

$$\begin{aligned} u_x(\text{a point with } x = 0) &= 0 \\ u_y(\text{a point with } y = 0) &= 0 \\ u_z(\text{a point with } z = 0) &= 0 \end{aligned}$$

The strain in X is enforced by setting

$$u_x^{\text{pivot}} = \epsilon_x$$

while  $u_y^{\text{pivot}}$ ,  $u_z^{\text{pivot}}$  are unconstrained, allowing lateral contraction of the RVE.

$\epsilon_x$  is successively set to the values specified by the user.

The remaining degrees of freedom  $\text{rot}_x^{\text{pivot}}$ ,  $\text{rot}_y^{\text{pivot}}$ ,  $\text{rot}_z^{\text{pivot}}$  are not needed for this load case and are set to zero. They will be used in the shear load cases to introduce shear strains.

Note that we aim to compute engineering strain vs. engineering stress (even in case large deformations are active). Thus, the force in the X direction is integrated and normalized by the original area  $L_y L_z$  to obtain  $\sigma_x$ .

The lateral strains can be extracted from the degrees of freedom of the pivot node:

$$\epsilon_y = u_y^{\text{pivot}}$$

$$\epsilon_z = u_z^{\text{pivot}}$$

In case true (logarithmic) strains are needed, you can compute them via

$$\epsilon_x^l = \log(1 + \epsilon_x)$$

To compute true stresses, one needs to compensate the stress for area changes due to contraction, which leads to

$$\sigma_x^{\text{true}} = \frac{\sigma_x}{(1 + \epsilon_y)(1 + \epsilon_z)}$$

The boundary conditions for the other test cases will be specified in the following.

Note that the stress-strain computation in Material Designer does not take into account (microscopic) damage, such as pull-out of fibers, micro-cracks, delamination, nonlinear interfaces, etc. If these effects are important, then Material Designer is not suitable to model and simulate this RVE.

Further note that it is not possible to setup a "clean" shear case if large deformations are active; in other words, there are always some other macroscopic strains that are non-zero (see [Polar Decomposition of a Shearing Deformation](#) and the corresponding description). For stress-strain curves, there will in general be a non-negligible effect given that the applied strains can be large.

Note that Material Designer is limited to rate-independent material behavior. You can use constituent materials that show a hyperelastic or a rate-independent plastic behavior. Rate-dependent material properties, like viscoplasticity, viscoelasticity, and creep are not supported.

### 2.2.1. Periodic Boundary Conditions

For completeness, the boundary conditions used in the different load cases for the stress-strain curves are presented here as well.

In each load case, one of the quantities  $\epsilon_x, \epsilon_y, \epsilon_z, \gamma_{xy}, \gamma_{yz},$  and  $\gamma_{xz}$  is successively set to the values specified by the user.

In tension and compression cases, the remaining two normal strains of  $\epsilon_x, \epsilon_y, \epsilon_z$  are left free, while  $\gamma_{xy}, \gamma_{yz},$  and  $\gamma_{xz}$  are set to zero.

In the simple shear cases, all quantities  $\epsilon_x, \epsilon_y, \epsilon_z, \gamma_{xy}, \gamma_{yz},$  and  $\gamma_{xz}$  except the one specified by the user are set to zero.

Then there is a one-to-one correspondence between the macroscopic strains and the degrees of freedom of the pivot node:

$$\begin{aligned} u_x^{\text{pivot}} &= \epsilon_x & rot_x^{\text{pivot}} &= \gamma_{yz} \\ u_y^{\text{pivot}} &= \epsilon_y & rot_y^{\text{pivot}} &= \gamma_{xz} \\ u_z^{\text{pivot}} &= \epsilon_z & rot_z^{\text{pivot}} &= \gamma_{xy} \end{aligned}$$

With these macroscopic strains in place, the boundary conditions are defined as follows:

On the faces normal to the X-axis, enforce

$$\begin{aligned} u_x(L_x, y, z) &= u_x(0, y, z) + u_x^{\text{pivot}} L_x \\ u_y(L_x, y, z) &= u_y(0, y, z) + rot_z^{\text{pivot}} L_x \\ u_z(L_x, y, z) &= u_z(0, y, z) + rot_y^{\text{pivot}} L_x \end{aligned}$$

On the faces normal to the Y-axis, enforce

$$\begin{aligned} u_x(x, L_y, z) &= u_x(x, 0, z) \\ u_y(x, L_y, z) &= u_y(x, 0, z) + u_y^{\text{pivot}} L_y \\ u_z(x, L_y, z) &= u_z(x, 0, z) + rot_x^{\text{pivot}} L_y \end{aligned}$$

On the faces normal to the Z-axis, enforce

$$\begin{aligned} u_x(x, y, L_z) &= u_x(x, y, 0) \\ u_y(x, y, L_z) &= u_y(x, y, 0) \\ u_z(x, y, L_z) &= u_z(x, y, 0) + u_z^{\text{pivot}} L_z \end{aligned}$$

To avoid rigid body motions, enforce

$$\begin{aligned} u_x(\text{a point with } x = 0) &= 0 \\ u_y(\text{a point with } y = 0) &= 0 \\ u_z(\text{a point with } z = 0) &= 0 \end{aligned}$$

Note that the compression and tension cases are the same, except that you are expected to specify different strain values.

### 2.2.2. Non-Periodic Boundary Conditions

For the tension and compression tests, one quantity of  $\epsilon_x$ ,  $\epsilon_y$ , and  $\epsilon_z$  is nonzero, the other two normal strain are left free. All the shear strains  $\epsilon_{xy}$ ,  $\epsilon_{xz}$ , and  $\epsilon_{yz}$  are set to zero.



Once again there is a one-to-one correspondence between the macroscopic strains and the degrees of freedom of the pivot node:

$$u_x^{\text{pivot}} = \epsilon_x \quad rot_x^{\text{pivot}} = \gamma_{yz}$$

$$u_y^{\text{pivot}} = \epsilon_y \quad rot_y^{\text{pivot}} = \gamma_{xz}$$

$$u_z^{\text{pivot}} = \epsilon_z \quad rot_z^{\text{pivot}} = \gamma_{xy}$$

On the faces normal to the X-axis, enforce

$$u_x(0, y, z) = 0$$

$$u_x(L_x, y, z) = u_x^{\text{pivot}} L_x$$

On the faces normal to the Y-axis, enforce

$$u_y(x, 0, z) = 0$$

$$u_y(x, L_y, z) = u_y^{\text{pivot}} L_y$$

On the faces normal to the Z-axis, enforce

$$u_z(x, y, 0) = 0$$

$$u_z(x, y, L_z) = u_z^{\text{pivot}} L_z$$

For the shear XY case, the boundary conditions are set as follows ( $\epsilon_{xy}$  as specified by the user):

On faces normal to the X-axis, enforce

$$u_y(0, y, z) = 0$$

$$u_y(L_x, y, z) = \gamma_{xy} L_x$$

$$u_z(0, y, z) = 0$$

$$u_z(L_x, y, z) = 0$$

On faces normal to the Y-axis, enforce

$$u_x(x, 0, z) = 0$$

$$u_x(x, L_y, z) = 0$$

$$u_z(x, 0, z) = 0$$

$$u_z(x, L_y, z) = 0$$

On faces normal to the Z-axis, enforce

$$u_z(x, y, 0) = 0$$

$$u_z(x, y, L_z) = 0$$

The boundary conditions for shear XZ can be obtained by switching the roles of y and z.

The boundary conditions for shear YZ can be obtained by switching the roles of x and y (starting from the shear XZ case).

Note that for the non-periodic shear test cases, we refrain from using additional degrees of freedom.

